

# Images of Hyperspace

Considering that no one can pinpoint what or where it is, the fourth dimension has proved remarkably inspiring over the years. The concept of a direction beyond height, width and depth has intrigued writers and artists from H. G. Wells to Salvador Dali and has captured the imagination of Hollywood. When Han Solo wanted to escape the evil forces of Darth Vader's Empire, for instance, he simply blasted his starship into hyperspace.

Mathematicians as well as sci-fi fans have long been drawn to 4-D, or hyperspace. But laymen—and some scientists—have been slow to accept something they could not visualize. Now, however, advances in computer graphics are permitting theoreticians to illustrate this abstract concept, and 4-D is finally coming down to earth. The first world conference on the fourth dimension was held recently at Brown University, attracting some 700 enthusiasts from the worlds of art and science. According to art historian Linda Henderson, who has chronicled the influence that 4-D shapes have had on painters from Duchamp to Mondrian, "This idea has caught the attention of people from all walks of life."

In the past, many scientists have followed Einstein and designated time as the fourth unit of measurement. But the recent view of many cosmologists—that the universe is finite but unbounded and curving back on itself—has led today's hyperspace enthusiasts to speculate on a fourth *spatial* dimension. The curvature, they believe, is that extra dimension. To detect it, one could (in theory) shine a laser into the void and wait a few billion years: the beam of light would traverse the universe, like an ant crawling over a beach ball, and eventually wind up shining on the experimenter's back.

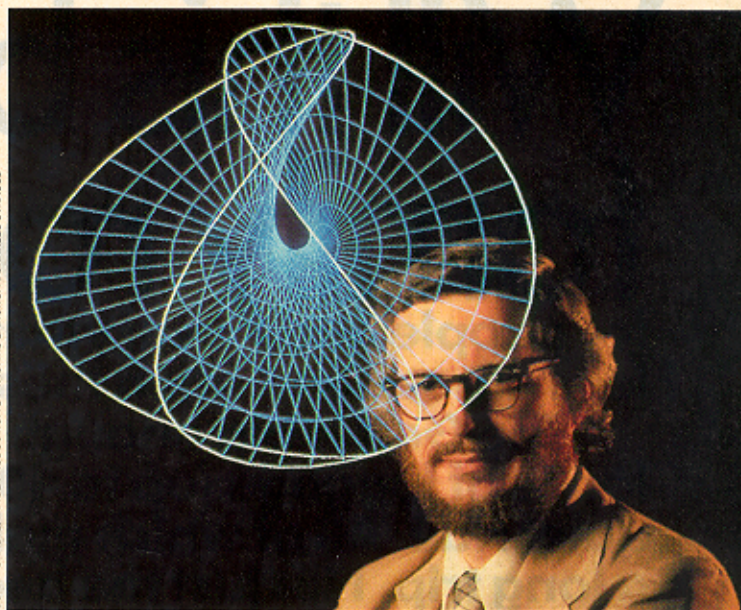
The fourth dimension's chief apostle is probably Thomas Banchoff, the mathematician who organized the Brown conference

and who has created some of the most spell-binding computer images. Banchoff, who says his passion for 4-D was piqued by an early devotion to Captain Marvel comics, has made several stunning films about his theories. "The Hypercube" gives viewers a tour of this basic 4-D object. In contrast to the eight vertexes and six squares that make up a three-dimensional cube, the hypercube has 16 vertexes and eight cube faces. In "Flows on the

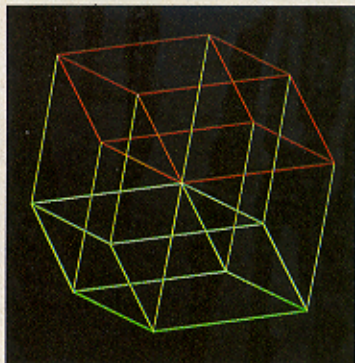
Torus," Banchoff depicts the relationship between two pendulums swinging at different rates by showing brightly colored, doughnut-shaped figures called tori. The curves represent the changing positions and velocities of each pendulum. "What we do, essentially, is take a 3-D snapshot of a 4-D object," he says, "then walk around it and accumulate enough views to begin to understand it"—much as one might imagine a rotating 3-D object by studying its 2-D shadow.

Banchoff's work was encouraged by "Flatland," the 1884 satire on intolerance written by clergyman Edwin Abbott Abbott. In that classic, 2-D creatures deny the possibility of a third dimension even after they're visited by a 3-D sphere. The Flatlanders

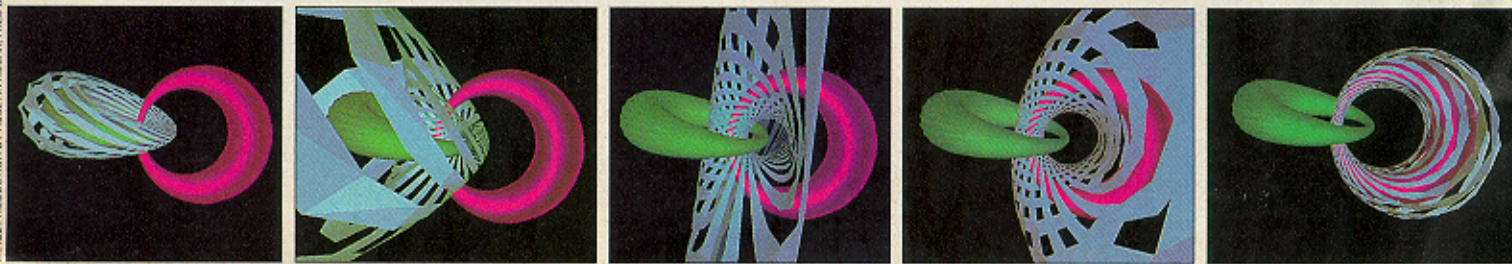
can't comprehend the new measure because they live on a plane—and Banchoff likes to compare their experience to the way earthlings might witness 4-D. When the Flatlanders—imagine amoebalike shapes on a pond—are confronted by a sphere descending from above, they see only the part that intersects the pond's surface. Their first view is of a point, followed by circles of



Banchoff, computer-drawn graphic: *Shades of Captain Marvel*



Hypercube: A snapshot of 4-D



Frames from the film 'Flows on the Torus': After Hollywood and H. G. Wells, a science-fiction concept comes down to earth