

# Bibliography for Arithmetic Dynamical Systems

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This document lists a wide variety of articles and books in the area of arithmetic dynamics. It also includes some additional material that was referenced in *The Arithmetic of Dynamical Systems* (Springer-Verlag GTM 241) and some miscellaneous articles that I've referenced in my own work. Note that the numbering in this document does not match the numbering of references in GTM 241.

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