Bibliography for Arithmetic Dynamics

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This document lists a wide variety of articles and books in the area of arithmetic dynamics, together with some miscellaneous articles and books in arithmetic geoemtry. It also includes some additional material that was referenced in *The Arithmetic of Dynamical Systems* (Springer-Verlag GTM 241) and some miscellaneous articles and books that I've referenced in my own work. Note that the numbering in this document does not match the numbering of references in GTM 241. Further note that I do not automatically update ArXiv preprints when they appear. Most recent published articles in arithmetic dynamics can be found by searching the 37P category on MathSciNet.

Important Note: I have been informed that some people consider inclusion or omission of an article in this bibliography as implying some sort of positive or negative endorsement of the significance of the article. Nothing could be further from the truth. I merely include articles that I happen to notice on the ArXiv and/or MathSciNet.

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